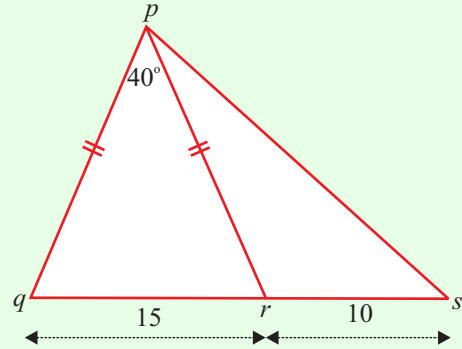


TRIGONOMETRY (Q 5, PAPER 2)

LESSON NO. 6: MORE DIFFICULT TRIANGLES

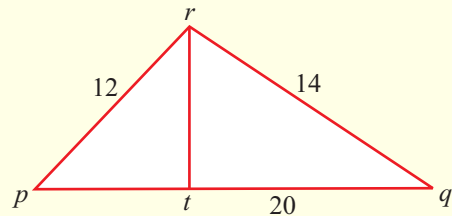
2007

- 5 (c) In the triangle pqr ,
 $|pq| = |pr|$, $|qr| = 15$ cm and $\angle rpq = 40^\circ$.
(i) Find $|pr|$, correct to the nearest centimetre.
(ii) s is a point on qr such that $|rs| = 10$ cm.
Find $|ps|$, correct to the nearest centimetre.



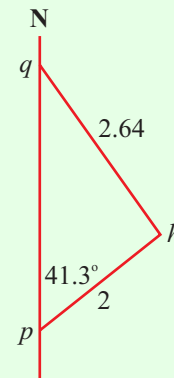
2006

- 5 (c) The lengths of the sides of the triangle pqr are
 $|pq| = 20$, $|qr| = 14$ and $|pr| = 12$.
(i) Find $\angle rpq$, correct to one decimal place.
(ii) Find $|rt|$, where $rt \perp pq$. Give your
answer correct to the nearest whole number.



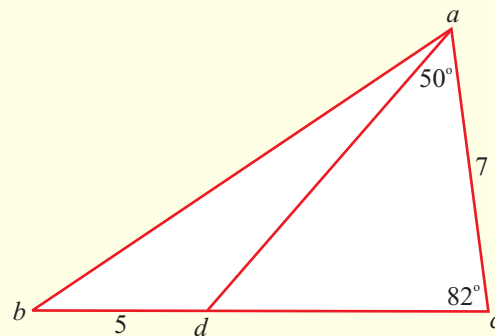
2005

- 5 (c) A lighthouse, h , is observed from a ship
sailing a straight course due North.
The distance from p to h is 2 km and the bearing
of the lighthouse from p is N 41.3° E.
The distance from q to h is 2.64 km.
(i) Find the bearing of the lighthouse from q .
(ii) The ship is sailing at a speed of 19 km/h.
Find, correct to the nearest minute, the time
taken to sail from p to q .



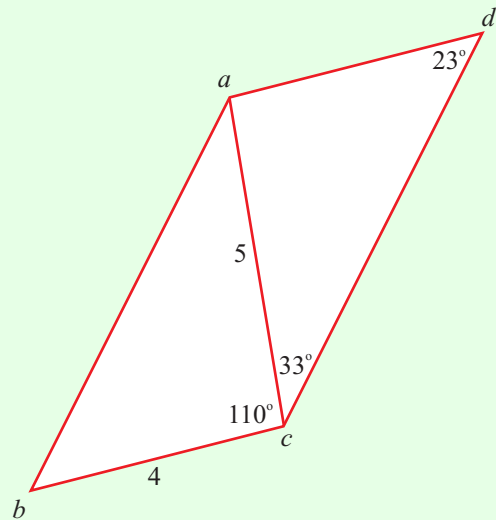
2004

- 5 (c) In the triangle abc , d is a point on $[bc]$.
 $|bd| = 5$ cm, $|ac| = 7$ cm,
 $\angle dca = 82^\circ$ and $\angle cad = 50^\circ$.
(i) Find $|dc|$, correct to the
nearest cm.
(ii) Find $|ab|$, correct to the
nearest cm.



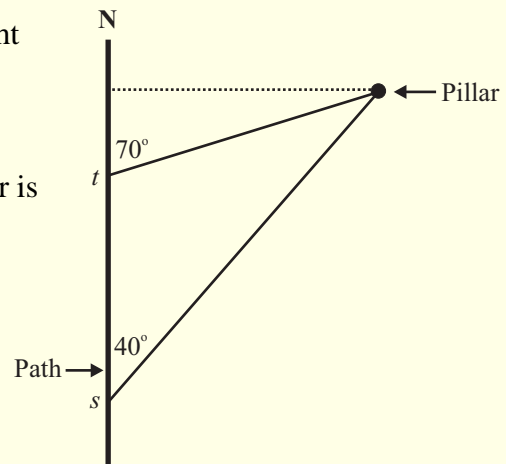
2002

- 5 (c) In the quadrilateral $abcd$, $|ac| = 5$ units,
 $|bc| = 4$ units, $|\angle bca| = 110^\circ$, $|\angle acd| = 33^\circ$
and $|\angle cda| = 23^\circ$.
- (i) Calculate $|ab|$, correct to two decimal places.
- (ii) Calculate $|cd|$, correct to two decimal places.



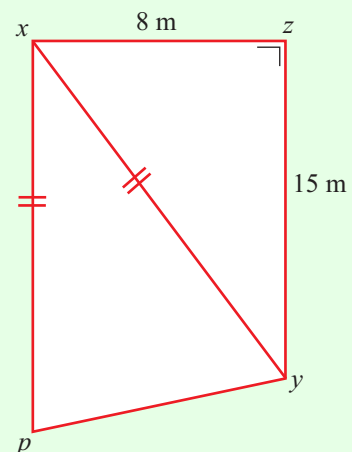
2001

- 5 (c) s and t are two points 300 m apart on a straight path due north.
From s the bearing of a pillar is $N40^\circ E$.
From t the bearing of the pillar is $N70^\circ E$.
- (i) Show that the distance from t to the pillar is 386 m, correct to the nearest metre.
- (ii) Find the shortest distance from the path to the pillar, correct to the nearest metre.



2000

- 5 (c) (i) In the diagram, the triangle zxy is right-angled.
 $|zx| = 8$ m and $|zy| = 15$ m.
Find $|xy|$.
- (ii) xp is parallel to zy .
 $|xp| = |xy|$, as shown.
Calculate $|py|$, correct to the nearest metre.



1998

- 5 (c) Three ships are situated in a straight line at points a , b and c .
 p is a port such that

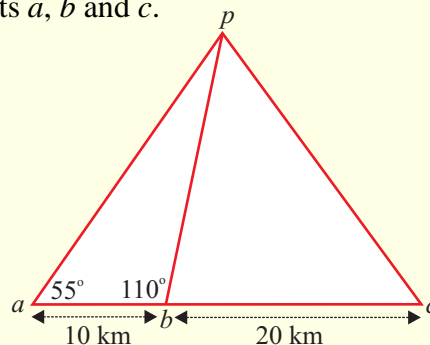
$$|\angle bap| = 55^\circ, |\angle abp| = 110^\circ,$$

$$|ab| = 10 \text{ km and } |bc| = 20 \text{ km.}$$

Calculate

- (i) $|bp|$, correct to the nearest km

- (ii) $|cp|$, correct to the nearest km.



1997

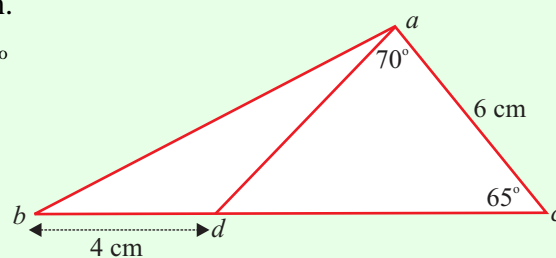
- 5 (c) abc is a triangle and $d \in [bc]$, as shown.

$$\text{If } |bd| = 4 \text{ cm, } |ac| = 6 \text{ cm, } |\angle acd| = 65^\circ$$

and $|\angle dac| = 70^\circ$, find

- (i) $|dc|$, correct to the nearest cm

- (ii) the area of triangle abc , correct to the nearest cm^2 .



ANSWERS

2007	5	(c) (i) 22 cm	(ii) 27 cm
2006	5	(c) (i) 43.5°	(ii) 8 units
2005	5	(c) (i) S 30° E	(ii) 12 minutes
2004	5	(c) (i) 7 cm	(ii) 13 cm
2002	5	(c) (i) 7.39 cm	(ii) 10.61 cm
2001	5	(c) (ii) 363 m	
2000	5	(c) (i) 17 m	(ii) 8 m
1998	5	(c) (i) 32 km	(ii) 31 km
1997	5	(c) (i) 8 cm	(ii) 33 cm^2